| Year 11 Unit 2 | meluboe sthol |
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| Inequalities (Foundation plus) |  |

Prior knowledge: Year 10 unit 3 graphs
Year 10 unit 6 solving linear equations

Leads onto: Year 11 exams
Year 12 absolute value (modulus) functions

## What do I need to be able to

 do?- Use and understand inequality symbols
- Represent inequalities on a number line
- Solve linear inequalities
- One sided
- Two sided
- Draw and identify linear graphs
- Represent linear inequalities on a graph
- Determine a region that satisfies two or more inequalities
- Solve quadratic inequalities

Keywords/formula Inequality symbols:
> greater than
< less than
$\geq$ greater than or equal to
$\leq$ less than or equal to
$\neq$ not equal to
NOTE all of these are dependent on which way round you say them

Inclusive inequality: one which includes the end value eg $x \geq 4$ includes 4

Strict inequality: one which does not include the end value eg $x>4$ does not include 4

Integer: a positive or negative whole number

Range of values: all of the possible values that are satisfied by an inequality

Linear: an equation or expression that includes no higher powers of $x$.

## Linear inequalities

Inequalities can be represented on a number line


Strict inequalities are represented by an open circle Inclusive inequalities are represented by a closed circle

Inequalities can represent a value that lies between two points


Inequalities can be solved in the same way as equations

$$
\begin{aligned}
4 x+1 & <13 \\
4 x & <12 \\
x & <3
\end{aligned}
$$

Solutions can be represented as a range of values eg $x<3$
On a number line (as above)
Or as integer values eg 2, 1, $0,-1,-2,-3 \ldots$

## Graphing inequalities

Reminder: $y=m x+c$ is the general equation of a straight line


Strict inequalities are represented by a dashed line: $y>2 x+1$ Inclusive inequalities are represented by a solid line: $y \geq 2 x+1$

Regions can be bounded by two or more inequalities


Quadratic inequalities require you to factorise then use the critical values as the key values of the inequalities: $x^{2}+4 x+3>0$ has the solutions $x>-1$ and $x<-3$


